Segregation without matching

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Abstract

Segregation and matching are techniques for estimating variance in mixed models. A question that has arise is if segregation can be applied in situations in which matching has not apply.
We discuss the structure of an important class of mixed models those with commutative orthogonal block structure and we will show an example in which segregation but not matching can be used.

Keywords

Segregation, Matching, Mixed models.

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